# DEATH AND THE MEDIA: ASYMMETRIES IN TYPHOID REPORTING DURING THE HEALTH TRANSITION

by

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#### Death and the Media: Asymmetries in Typhoid Reporting During the Health Transition

Abstract

#### JEL Classifications: I19, L82, N31

How did the media react to the rapid decline in typhoid death rates during the health transition in the United States? We find that news reports between 1890 and 1938 are more responsive to changes in mortality and case rates, in either direction, after compared to before the clean water interventions that reduced mortality and lowered its variance. Our results are consistent with a classical signal extraction problem in which a higher mean and variance make it harder to interpret the signal. Consistent with prospect theory and psychological theories of reference points, we also find that the increase in news reports with an unexpected increase in death or case rates is greater than the decrease resulting from an unexpected decline in death or case rates. Asymmetries in news coverage have implications for the economic incidence of public health improvement.

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Matthew E. Kahn mkahn@ioes.ucla.edu In the early twentieth century, typhoid fever, a water-borne illness for which there was no cure, ravaged US cities. Five years prior to the filtration and chlorination of Philadelphia's water, weekly deaths from typhoid fever averaged 1.09 per 100,000. Five years after both filtration and chlorination, weekly deaths averaged 0.15 per 100,000. Typhoid rates in Philadelphia, which drew its water from the contaminated river, were unusually high. But even in New York City, where some but not all areas had access to clean water, weekly death rates from typhoid were 0.33 per 100,000 prior to the construction of the New Croton Dam. After the further construction of the Ashokan Reservoir and Catskill Acqueduct, weekly death rates fell to 0.06 per 100,000.<sup>1</sup> Declines in the level and variance of a disease which killed 10-20% of its victims and affected all age groups were rapid after the introduction of clean water technologies (Cutler and Miller 2005; Troesken 1999) and thus should have been salient to a public which could rely on a press that had become more informative and less partisan (Gentzkow, Glaeser, and Goldin 2006).

How did the media react to the rapid decline in typhoid death rates? We have created a database of weekly counts of typhoid articles from major US newspapers from 1890 to 1938 to document how news reports responded to weekly death rates both before and after the clean water interventions and to determine whether news reports responded asymmetrically to unexpected increases and decreases in mortality rates. We find that news reports are more responsive to changes in mortality and case rates, in either direction, after compared to before the clean water interventions. Our results are consistent with a classical signal extraction problem in which individuals look not just at the current death rate (the signal) but also the pre- and post-intervention mean and variance. A higher mean and variance will make it harder to interpret the signal. Consistent with prospect theory and psychological theories of reference points, we also find that the increase in news reports with an unexpected increase in death or case rates is greater than the decrease resulting from an unexpected decline in death or case rates.

<sup>&</sup>lt;sup>1</sup>Mortality rates are estimated from the data used in the paper.

Our findings have implications for the economic incidence of urban public health improvements. If improvements are common knowledge both to incumbent city residents and to nonresidents, then standard no arbitrage compensating logic implies that landowners in the cities and neighborhoods that experienced the largest reduction in death would enjoy the windfall of higher prices. But, if outsiders are unaware of the localized quality of life improvements then incumbent renters could gain the windfall. In standard compensating differential models it is assumed that households have full information about the attributes of each choice at each point in time. However, in the case of endogenous attributes such as typhoid death rates this assumption appears to be extreme. With dynamic and stochastic disamenities, the media may play a key role in spreading information about the shifting location of specific attributes. With asymmetries in media coverage, outsiders may be unaware of progress. This suggestion of "segmented" markets recasts the standard urban locational choice problem as one where information frictions could generate rents for incumbents. If the media devoted extra coverage to deaths during good times, then the public may perceive a higher risk of infectious disease risk than was actually present.

## **1** Economic Framework

We focus on the supply of news reports about typhoid fever in major cities, during the health transition, when newspapers were the only news outlets. If newspapers are primarily driven by profit motives, they will report on typhoid if there is reader demand whether for consumption value or information.

But was disease coverage biased? Competition among newspapers within a city could lead to unbiased coverage (i.e. coverage would be determined purely by death or case rates) or it could lead to biased coverage if newspapers seek to deliver what their readers want (Gentzkow and Shapiro 2008). Both prospect theory and psychological theories imply that individuals react more to an increase in mortality rates than to declines. Kahneman and Tversky (1979) argued that individuals care more about loss in utility than gain. The psychology literature argues that asymmetries arise because of differences in perceptions and because individuals are mildly optimistic. If impressions are based on reference points, the loss is felt more keenly (Helson 1964). If more attention is given to new or novel information, which is extreme information, then negative information is given more weight (Fiske 1980). In examining inflation expectations Carroll (2003) found that not only did the volume of news matter, but also news that represented and sharp and negative break from the past. A bias toward "bad" news could arise either from newspapers' responding to consumer demand or from journalists' sharing consumers' errors in perception.

Newspapers' search for novelty will lead to an emphasis on the unusual, consistent with Frost, Frank, and Maibach (1997) finding that the media over-emphasize low-risk causes of death. An over-emphasis on low-risk causes of death also could arise if it is harder to determine trends in a regime where both the level and the variance of mortality is high relative to a regime where both the level and the variance of mortality is low. A change in mortality rates, whether high or low, represents a sharper deviation from trend in a low level and variance regime. This phenomenon has been noted in the literature about inflation expectations, where disagreement about the future path of inflation tends to rise both with inflation and with sharp inflation changes (Mankiw, Reis, and Wolfers 2004).

Our notion of bias in cognitive perceptions contrasts with the focus on bias in political reporting emphasized in the research on media slant (e.g. Gentzkow, Shapiro, and Stone, forthcoming). This slant could arise from the preferences of journalists, editors, or owners (Baron 2006; Djangov et al. 2003) or from competition forcing newspapers to differentiate themselves by moving to ideological extremes (Mullainathan and Shleifer 2005). In the case of typhoid fever, such slant might take the form of favoring large public investments or the socialization of water systems on the grounds that public companies were more likely to invest in clean water technologies and to extend service to poorer residents (Troesken 1999).<sup>2</sup> We find it unlikely that such slant plays a role in newspapers coverage of typhoid. None of the cities in our sample were served by private water companies during the health transition. Nor was public investment in clean water technologies an ideological dividing line. Although the poor benefited disproportionately from clean water investments, fear of infectious disease made the interventions popular (Troesken 2004).

We therefore hypothesize that

- An increase (decrease) in typhoid death or case rates will lead to more (less) news reports about typhoid after clean water interventions than before these interventions. We attribute these effects to clean water interventions reducing both the level and variance of death and case rates, thus leading to clearer signals from a change in death or case rates.
- An unexpected change in typhoid death or case rates will have a bigger impact on news reports when the change is an unexpected increase. This phenomemon could arise either from endowment or reference point effects.

## **2** Econometric Specifications

Our two hypotheses imply two different baseline specifications. Our first hypothesis, that media responsiveness is greater after the clean intervention than before, implies that the number of weekly news reports (r) depends on current weekly death or case rates (d), the clean water intervention (I), and the interaction between the clean water intervention and the death rate,

$$r = f(d, I, d \times I).$$

<sup>&</sup>lt;sup>2</sup>Troesken (1999) finds no evidence that the move from private to public ownership form affected typhoid death rates. However, at least in large cities, the adoption of clean water technologies may have required access to municipal bond markets (Cutler and Miller 2006).

Our second hypothesis, that the media reacts asymmetrically to increases and decreases in death rates, implies that the number of weekly news reports depends on the unexpected change in expected death or case rates (D) and on whether this change is an unpleasant surprise,

$$r = g(D, D \times (\text{Dummy=1 if bad news}).$$

We assume that expectations about current typhoid death or case rates are determined in one of two ways.

 Individuals de-trend death or case rates, accounting for intercept changes caused by clean water interventions. A surprise in death or case rates is a deviation from trend. Thus, in current time period i, the deviation from death rate trend (D) is

$$D_i^0 = \hat{d}_i - d_i \tag{1}$$

where  $\hat{d}_i$  is the predicted death rate and  $d_i$  is the death rate. The death rate is predicted at each date i by running a regression using all prior death rates (from 2 years of data to all years in the final period),

$$\hat{d}_i = \alpha + \beta_1 t_i + \beta_2 t_i^2 + \beta_3 t_i^3 + \sum_{k=0}^n \delta_k I_k$$

where d is the death rate, t is time, and  $I_k$  is a set of dummy variables indicating that intervention k has occurred.

2. Individuals de-trend as above but then adjust for the standard deviation of death rates ( $\hat{\sigma}$ ),

that is

$$D_i^1 = (\hat{d}_i - d_i) / \hat{\sigma}_i.$$
 (2)

We specify the relationship between the count of articles and death rates or unexpected deviations in death rates using a negative zero inflated binomial model to account for excess zeros and over-dispersion. Assume that the observed count of articles  $y_i$  is the product of two latent variables,  $z_i$  and  $y_i^*$ ,

$$y_i = z_i y_i^*$$

where  $z_i$  is binary variable with values 0 or 1, and  $y_i^*$  has a negative binomial distribution. Then,

$$Pr(y_i = 0) = Pr(z_i = 0) + Pr(z_i = 1, y_i^* = 0)$$
$$= q_i + (1 - q_i)f(0)$$
$$Pr(y_i = k) = (1 - q_i)f(k), k = 1, 2, \dots$$

where  $q_i$  is the probability of no article and  $f(\cdot)$  is the negative binomial probability distribution for  $y_i^*$ . We model the binary process  $z_i$  using a logit model. We perform Vuong tests to determine if the excess number of zeros leads us to prefer a zero-inflated negative binomial model to a standard negative binomial model (a statistically significant statistic suggests yes). Assuming that we reject the negative binomial model in favor of the zero-inflated negative binomial model, we will then test whether the dispersion parameter ( $\alpha$ ) is 0 (or the logarithm of  $\alpha$  is negative infinity). A statistically insignificant dispersion parameter suggests that we should be using a Poisson model. We estimate our zero-inflated negative binomial regression models with robust standard errors, clustered on the city.

We specify the logit part of the zero-inflated negative binomial regression as

Pr(y = 0) = L(dummy=1 if news event, dummy=1 if holiday week, city and year fixed effects) (3)

We specify the negative binomial part of the zero-inflated binomial regression model in three different ways. In our first specification, Equation 4 below, we examine differential reactions to typhoid death or case rates before and after the clean water interventions. Our specification includes typhoid death or case rates (d), two clean water interventions ( $I_1$  and  $I_2$ ), and interactions between deaths rates and the clean water interventions.

$$\Pr(y = k) = F(d, I_1, I_2, I_1 \times d, I_2 \times d, \text{number of total articles})$$
(4)

When possible (i.e. when convergence was not an issue), we also control for city and year fixed effects.

In our other two specifications, Equations 5 and 6 below, of the negative binomial part of the zero-inflated binomial regression model, we examine differential reactions to better and worse than expected typhoid death or case rates. We include either  $D^0$  or  $D^1$ , our deviations from expected death or case rates specified in Equations 1 and 2, the interaction between either  $D^0$  or  $D^1$  and a dummy variable indicating whether  $D^0$  or  $D^1$  are positive (and thus death or case rates are greater than expected).

$$Pr(y = k) = F(D^0 \times (Dummy=1 \text{ if } D^0 > 0), \text{number of total articles})$$
(5)

$$Pr(y = k) = F(D^{1} \times (Dummy=1 \text{ if } D^{1} > 0), \text{ number of total articles})$$
(6)

Because of convergence issues, we do not control for either city or year fixed effects.

## 3 Data

We created a panel data set from newspaper articles and from weekly typhoid death and case rates for New York City, Baltimore, Boston, Chicago, Washington DC, Philadelphia. Weekly deaths and cases for New York City are from our digitization of Emerson and Hughes (1941), which provides continuous data from 1890 until 1938. Weekly deaths and cases for our other cities are from Project Tycho (https://www.tycho.pitt.edu/), which digitized data from the weekly national publication, *Public Health Reports*. These data are incomplete; the number of cases only begins to be published in 1906 and both deaths and cases are more likely to be missing once typhoid deaths have fallen to close to zero. Deaths are available up to 1932. We have used data from the published censuses of population to estimate yearly city populations (adjusted for city annexations of neighboring communities) and thus yearly death and case rates.

We obtained daily counts of the total number of newspaper articles and the number of newspaper articles mentioning typhoid and also typhoid and the city using mechanized searches of *The New York Times*, *The Baltimore Sun*, *The Boston Globe*, *The Chicago Tribune*, *Washington Post* and *The Philadelphia Inquirer*.<sup>3</sup> These were the major "serious" newspapers within each city (their rivals have not been digitized and indexed). We aggregated our daily counts to the weekly level. Reports include all types of news, including reports from local public health officials, stories of outbreaks, society news, obituaries of well-known individuals, editorials, and appeals to charity.

Cities had to have both digitized and indexed newspapers and good typhoid death data to be included in our panel data set. Our final panel data set has data for New York City for all weeks for 1890-1938, and, with some weeks missing, for Chicago for 1896-1932, Baltimore for 1900-1932, Boston for 1890-1932, Philadelphia for 1901-1922, and Washington DC for 1890-1932. We also created dummy indicators for a holiday during that specific week and for a major news event that

<sup>&</sup>lt;sup>3</sup>The first five newspapers are available from Proquest Historical Newspapers. *The Philadelphia Inquirer* is available from Readex America's Historical Newspapers.

week. What constituted a major news event was a judgement call. Recurring events such as the day after elections and the World Series were labeled major news events, as were outbreaks of war and major war events, natural disasters, New York City ticker tape parades and the events meriting these parades, new world records, and famous trials, murders, and kidnappings.

Figure 1 compares our mechanized searches of *The New York Times* for typhoid fever with manual searches for 1900-1932. Except for some learning by doing by data inputters in the early manual searches, peaks and troughs in the percentage of articles mentioning typhoid coincide across the two samples. However, the mechanized searches for mentions of local typhoid fever yield a consistently greater percentage than the manual searches. The mechanized searches also capture deaths or illnesses of New Yorkers outside of the city.

#### **4** Typhoid Death and Case Rates

Typhoid primarily spread through drinking water contaminated with the waste of infected individuals. The major interventions in each of our cities (see Table 1) thus take the form either of cleaning up the water supply obtained from the nearby river through chlorination or filtration or of obtaining new, clean sources of water. For each city we could identify two interventions from Cutler and Miller (2005) for Chicago, Baltimore, and Philadelphia and from histories of local water supply systems for New York City, Boston, and Washington, DC. (Although we could identify a third for New York City, the effect of this intervention was negligible.)

Figure 2, which also shows missing data, and Table 2 suggest that the inteventions were effective in lowering typhoid mortality and case rates. In the sample as a whole, typhoid death rates per 100,000 were 0.8 prior to any intervention, 0.4 after the first intervention but before the second, and 0.1 after the second intervention. Prior to the first intervention, death rates per 100,000 varied widely across cities with highs of 1.0 and 1.5 in Philadelphia and Washington, DC, respectively and a low of 0.4 in New York City. After both interventions, death rates per 100,000 varied from a high of 0.2 in Baltimore to a low of 0.03 in New York City. Case rates also fell after an intervention and converged across cities.

These interventions were statistically significant negative predictors of death rates, controlling for year effects (see Table 3). In all cities, except for Baltimore and Boston, the first intervention was a statistically significant predictor of death rates. Controlling for the effects of the first intervention, in all cities the second intervention was a statistically significant predictor of death rates and the combined effect of both interventions was statistically significant. The inclusion of lagged death rates in the specification also yielded statistically significant effects of both interventions (results not shown).

Figure 3 plots the deviation from the expected death rates adjusted for the standard deviation of death rates in each city. In all cities deviations were high prior to any interventions and then narrow after both interventions.

#### 5 Results: Death and the Media

Figure 4, which shows smoothed plots of typhoid death rates and of the percentage of typhoid articles, suggests that while on the whole reports of typhoid followed mortality patterns, with more reporting in a high mortality regime than in a low mortality regime, an increase in city death rates led to more news reports in a low than in a high mortality regime. For example, in New York City, the up-tick in typhoid mortality rates in the 1920s is associated with an increase in news reports that is greater than the increase in the early 1890s when typhoid mortality rates spiked up higher. The increases in reporting that are not related to city death rates were often associated with world events such as concern over typhoid epidemics during the Spanish-American War and World War I.

We find that the media are more likely to report changes in typhoid after the clean water inter-

ventions than before. Table 4 shows that increases in typhoid death rates increase reporting both pre- and post-intervention but there is a stronger positive effect after both interventions. Prior to any intervention, a half standard deviation increase in post first intervention typhoid death rates (0.141)leads to an increase of at least 0.05 in the count of the logarithm of typhoid articles (=0.141  $\times$ (0.335). After both interventions, this half standard deviation increase of (0.141) in death rates yields an additional increase in the count of the logarithm of typhoid articles of 0.06 (= $0.141 \times 0.417$ ) to  $0.20 = (-0.141 \times 1.422)$ . Table 5, which gives the marginal effects, implies that this half standard deviation increase of 0.141 in death rates increases the number of typhoid articles by at least 0.14  $(=0.141 \times 1.023)$  prior to any interventions. After both interventions, this half standard deviation increase raises the number of typhoid articles by an additional 0.18 to 0.61. The total increase of 0.32 to 0.75 represents an 11 to 26% increase relative to the mean number of articles. Although the interaction between death rates and the second intervention is not statistically significant when both the count and zero article part of the negative binomial include both city and fixed effects, the joint effect of both interventions interacted with the death rate becomes statistically significant when Philadelphia (which has few observations after the intervention) is excluded. Excluding Philadelphia and including both city and year fixed effects in both parts of the negative binomial (not shown), yields an additional, statistically significant increase of 0.242 in the number of articles after both interventions.

Media responses to death rates after the two interventions are even greater, and are always statistically significant, when we examine local typhoid articles (see Tables 6 and 7). Prior to any intervention, an increase in the death rate of 0.141 leads to an increase of at least 0.06 (= $.141 \times .418$ ) in the number of local typhoid articles. After both interventions, this increase in the decrease rate leads to an additional increase of 0.10 (= $0.141 \times 0.742$ ) to 0.19 (= $0.141 \times 1.350$ ) in the number of typhoid articles. The total increase of 0.16 to 0.25 represents a 15 to 17% increase in the number of local news articles relative to the mean.

We find that the media respond more to "bad" than to "good" news. Our specifications for mortality expectations were based on deviations from trend, both unadjusted and adjusted for the standard deviation of death rates, and these show that an unexpected increase in death rates (a positive residual) leads to more news reports than an unexpected decrease in death rates (see Tables 8 and 9). A half standard deviation change in the deviation from expected death rates (0.188 over all time periods) leads to a statistically insignificant decrease of 0.062 (=0.188  $\times$  -0.329) in the logarithm of the total number of articles and of 0.202 (=0.188  $\times$  -1.072) in the total number of articles when the change leads to mortality rates being lower than expected. When mortality rates are higher than expected, a half standard deviation change leads to a statistically significant increase of 0.185 (=0.188  $\times$  0.982) in the logarithm of the number of articles and of 0.600 (=0.188  $\times$  3.194), a 21% increase relative to the mean, in the number of articles. Effects on the number of local typhoid articles are not statistically significant. However, when we modeled expectations as deviations from the trend adjusted for the standard deviation of death rates we found statistically significant effects both for all and local typhoid articles. A half standard deviation change in the deviation from expected death rates adjusted for the standard deviation of death rates (0.334 over all time periods) produces a statistically significant decrease of 0.09 (= $0.334 \times -0.256$ ) in the logarithm of the total number of articles and of 0.267 (= $0.334 \times -0.798$ ) in the total number of articles when the change leads to mortality rates being lower than expected. When mortality rates are higher than expected, a half standard deviation change leads to a statistically significant increase of 0.20 (=0.334  $\times$  0.586) in the logarithm of the number of articles and of 0.610 (=0.334  $\times$  1.826) in the number of articles, a 21% increase relative to the mean. When we examined local articles, we found statistically insignificant effects when mortality rates were lower than expected but a statistically significant effect of 0.22 articles (= $0.334 \times 0.663$ ), a 20% increase, for a half standard deviation increase in expected mortality rates adjusted for the standard deviation of mortality.

We examined how accurately our three different specifications predicted the mean number of

articles to determine if how we modeled expectations of mortality rates made a difference. The difference between the observed mean and the predicted mean was 0.002 for all newspaper articles and 0.008 for local newspaper articles when we included the death rate and intervention interactions. When we used deviations from expected death rates we found that the difference between the observed and predicted means was 0.199 for all news and 0.005 for local news. When we adjusted deviations from expected death rates by the standard deviation of death rates we found that the differences were 0.076 and 0.004, for all news and local news, respectively. We interpret these results as indicating that using deviations from expected death rates alone is the least preferred specification.

Controlling for case rates, newspapers were more likely to report on typhoid after the clean water interventions, when case rates were lower. We found statistically significant effects of both intervention case rate interactions, even controlling for year fixed effects in both the count and the logit part of the negative binomial (see Tables 10 and 11). After the first intervention, the standard deviation of case rates was 1.682. A half standard deviation increase in case rates increased logarithm of the number of articles after both interventions by at least an additional 0.10 (= $0.841 \times 0.114$ ) relative to the pre-intervention period and the number of local articles was at least 0.10 (= $0.841 \times 0.119$ ), a 12% increase.

We also found that newspapers were more likely to report on typhoid when case rates deviated from expected case rates (see Tables 12 and 13). A half standard deviation change in the deviation from expected case rates (0.601 over all time periods) leads to a statistically significant decrease of 0.12 (=0.601 × -0.200) in the logarithm of the total number of articles and of 0.305 (=0.601 × -0.507) in the total number of articles when the change leads to case rates being lower than expected. When case rates are higher than expected, a half standard deviation change leads to a statistically significant increase of 0.16 (=0.601 × 0.269) in the logarithm of the number of articles and of 0.409 (=0.601  $\times$  0.681), a 17% increase relative to the mean, in the number of articles. When we adjusted the deviation in expected case rates for the standard deviation of case rates we found that a half standard deviation change leads to a statistically significant decrease of 0.33 (=0.325  $\times$  -1.022) in the number of articles when case rates are lower than expected and to statistically significant increase of 0.45 (=0.325  $\times$  1.382) when case rates are higher than expected. We observe the same asymmetry when we examined the number of local articles.

A newspaper article on typhoid was more likely when there was a news event. The effect was statistically significant when we examined unexpected deviations in typhoid death or case rates (see Tables 8, 9, 12, and 13.) Because large news events such as wars or natural disasters were associated with typhoid outbreaks (or fear of such outbreaks), we interpret this effect as dominating the displacement of typhoid news from a sensational trial or murder case. In some of our specifications, holidays also had a statistically significant, positive effect on news reports. We would expect a positive effect either if articles about typhoid can be written ahead of time or if appeals to charity (e.g. the New York's Neediest column) are more likely during holidays.

## 6 Robustness: Diphtheria and the Media in New York City

We test the robustness of our findings by comparing results for typhoid articles in New York City with diphtheria articles. Diphtheria, an upper respiratory tract infection, is spread through physical contact or breathing the aerosolized secretions of infected individuals. In New York City, diphtheria death rates fell rapidly once antitoxin became widely available in 1895 (it was provided by the City). We would therefore not expect a positive effect of the interaction between typhoid death rates and typhoid interventions on the number of diphtheria articles. However, we would expect a more positive response to death rates after diphtheria antitoxin became widely available.

Tables 14 and 15 show that in New York City the effect of typhoid death rates on all and local

typhoid news reports is greater after the second intervention but that there is no effect on diphtheria news reports. Diphtheria death rates, however, have a greater effect on diphtheria news reports once antitoxin become widely available. In New York City, the standard deviation of typhoid deaths after the first clean water intervention was 0.096 and the standard deviation of diphtheria deaths was 0.563 after antitoxin became widely available. A half standard deviation increase in typhoid deaths led to an increase of 0.11 (=0.048 × 2.404) in the total number of articles and an increase of 0.073 (=0.048 × 1.514) in the number of local articles before any intervention and to an additional increase of 0.430 total articles (=0.048 × 8.956) and 0.23 local articles (=0.048 × 4.781) after both interventions. These last two increases were, respectively, increases of 15% and 23%. Typhoid interventions interacted with typhoid death rates were not statistically significant predictors of diphtheria news reports. A half standard deviation increase in diphtheria death rates had a statistically insignificant effect on diphtheria reports prior to the intervention and led to a statistically significant increase of 0.09 (=0.282 × 0.304) in the total number of local articles, a 17% increase.<sup>4</sup>

## 7 Robustness: Newspaper Campaigns

Was newspaper reporting on typhoid fever determined by editors' campaigns favoring the adoption of clean water technologies? If yes, we would expect more editorials on typhoid prior to the intervention. This "campaign" effect would therefore counteract our first hypothesis.

Figure 5 shows that only in Chicago was there a large number of editorials prior to the first intervention – the closing of the sewer outfalls of Lake Michigan. There were many editorials on the incompetence of the city for delays in sanitary reforms. The upsurge in editorials in New York City and in Boston prior to the sanitary reforms was associated with worries about typhoid during the Spanish-American War and the building of the Panama Canal. The editorials in Washington DC

<sup>&</sup>lt;sup>4</sup>We could not estimate a similar specification for all articles because of convergence problems.

after the first intervention were largely articles about clean water interventions in other cities. The editorials in Boston after the second intervention focused on the dangers of typhoid on vacation. There were no editorials in Baltimore about typhoid.

#### 8 Conclusion

We have shown that the media were more responsive in reporting changes in typhoid death and case rates after rather than before the clean water interventions which lowered both the level and variance of mortality and case rates. Our findings are consistent with results from signal extraction problems. We also have shown that the media responded more to "bad" than to "good" news about typhoid death or case rates, consistent with the implications of prospect theory and of psychological theories about reference points.

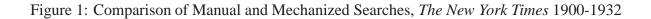
Our findings have implications for neighborhood persistence. Typhoid fever death rates varied widely across city neighborhoods, but the differentials fell rapidly when clean water became available.<sup>5</sup> Despite this rapid improvement in the quality of life in the worse neighborhoods, there is remarkable persistence in the distribution of housing prices and household income within a city (Villarreal 2014). Asymmetries in media coverage may help explain neighborhood persistence.

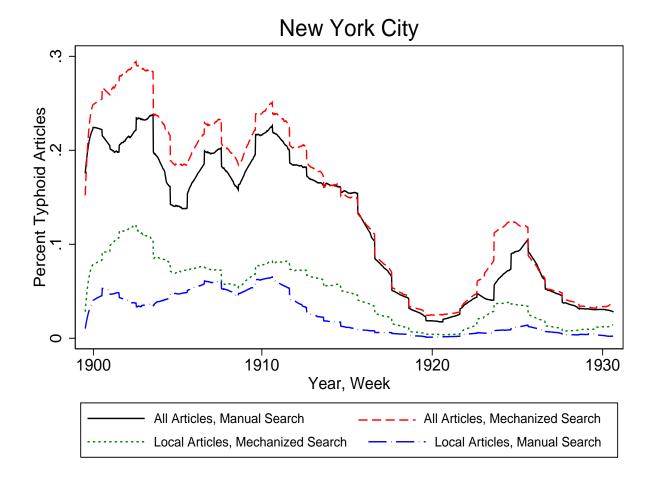
<sup>&</sup>lt;sup>5</sup>Graphs by ward for New York City and Philadelphia are available upon request.

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Source: The New York Times. See the text for details.

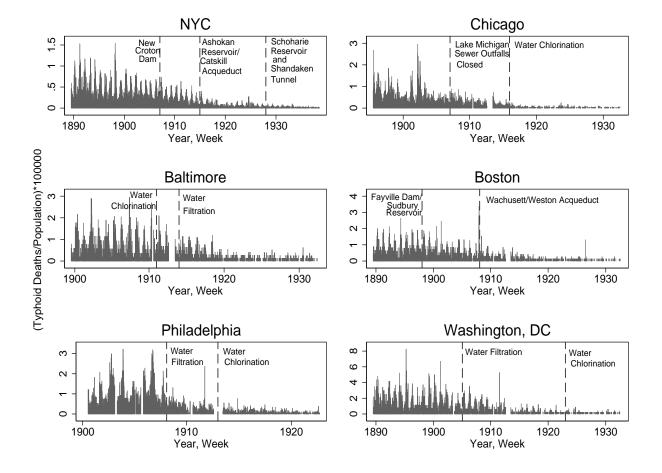
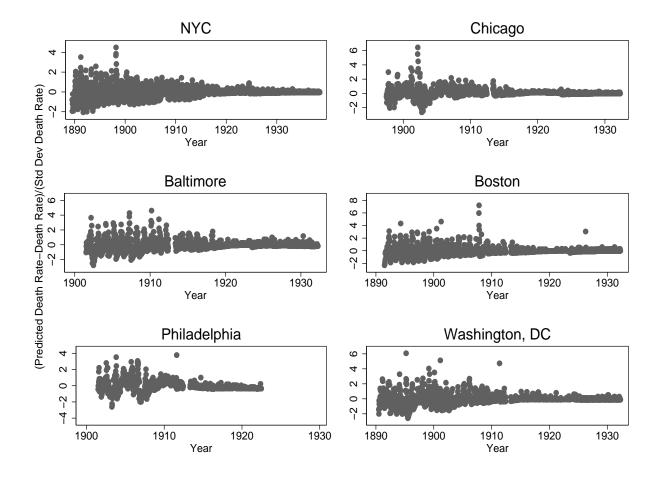


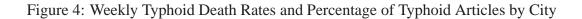
Figure 2: Weekly Typhoid Death Rates by City

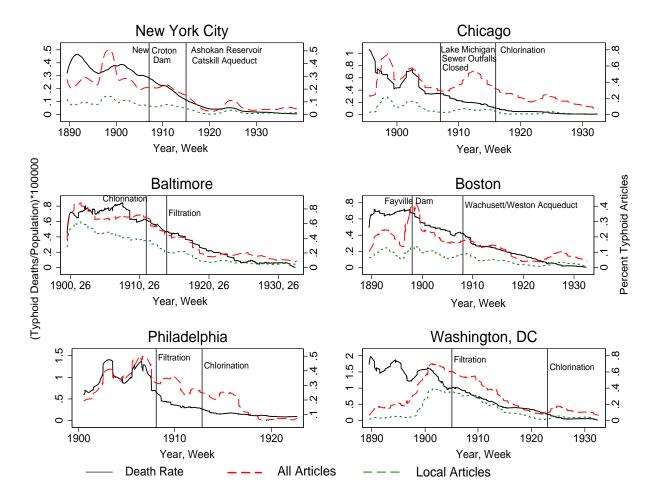
See the text for sources.

Figure 3: Deviations from Expected Typhoid Death Rates Adjusted for the Standard Deviation of Typhoid Death Rates



Estimated using Equation 2. See the text for details.





See the text for sources. Death rates and the percentage of articles were smoothed using a lowess estimator.

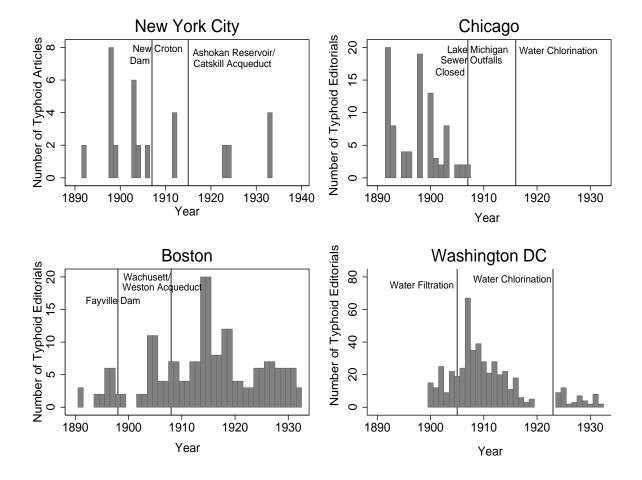


Figure 5: Number of Typhoid Editorials by City

Editorials could not be identified for Philadelphia. There were no editorials in Baltimore.

City	Intervention	Intervention
Baltimore	1911	1914
	water chlorination	water filtration
Boston	1898	1908
	Fayville Dam/Sudbury Reservoir	Wachusett/Weston Acqueduct
Chicago	1907	1916
	Lake Michigan sewer outfalls closed	water chlorination
New York City	1907	1915
	New Croton Dam	Ashokan Reservoir/Catskill Acqueduct
Philadelphia	1908	1913
	water filtration	water chlorination
Washington DC	1905	1923
	water filtration	water chlorination

Table 1: Clean Water Intervention Dates

	Before Fi	rst Intervention	Between	Interventions	After Sec	cond Intervention
	Death	Case	Death	Case	Death	Case
	Rate	Rate	Rate	Rate	Rate	Rate
Baltimore	0.726	4.437	0.490	2.843	0.156	0.878
	(0.525)	(4.921)	(0.311)	(2.410)	(0.198)	(1.282)
Boston	0.687		0.489	3.358	0.110	0.629
	(0.461)		(0.390)	(5.253)	(0.150)	(0.819)
Chicago	0.554	0.471	0.199	1.231	0.026	0.156
	(0.403)	(0.440)	(0.135)	(1.053)	(0.034)	(0.199)
New York City	0.366	1.444	0.185	1.243	0.034	0.266
	(0.231)	(1.112)	(0.118)	(0.972)	(0.040)	(0.292)
Philadelphia	0.971	6.949	0.343	2.141	0.131	0.664
	(0.600)	(5.746)	(0.252)	(1.596)	(0.089)	(0.579)
Washington DC	1.494		0.596	2.662	0.061	0.324
	(1.072)		(0.538)	(3.091)	(0.124)	(0.429)
All Cities	0.765	2.449	0.382	2.067	0.080	0.484
	(0.717)	(3.409)	(0.385)	(2.596)	(0.129)	(0.772)

Table 2: Mean Death and Case Rates, Before, Between, and After Interventions

See text for death and case rate sources. Standard deviations in parentheses. Case rates are not available for Boston and Washington DC prior to the first intervention.

	NYC	Chicago	Baltimore	Boston	Philadelphis	DC
1st intervention	-0.258***	-0.134***	-0.095	-0.083	-0.880***	-1.702***
	(0.026)	(0.032)	(0.117)	(0.135)	(0.090)	(0.331)
2nd intervention	-0.120***	-0.178***	-0.325***	-0.418***	-0.282***	-0.435***
	(0.010)	(0.025)	(0.060)	(0.114)	(0.046)	(0.086)
Constant	0.385***	0.363***	0.619***	0.652***	1.253***	2.161***
	(0.024)	(0.022)	(0.103)	(0.074)	(0.079)	(0.320)
Combined interventions	-0.379***	-0.313***	-0.420***	-0.501***	-1.162***	-2.137***
	(0.024)	(0.022)	(0.105)	(0.076)	(0.080)	(0.320)
Observations	2,548	1,538	1,387	1,588	904	1,558
R-squared	0.541	0.615	0.419	0.410	0.575	0.471

Table 3: OLS Regression of Effect of Clean Water Interventions on Typhoid Death Rates

All regressions include year fixed effects. Robust standard errors in parentheses. \*\*\* p<0.01, \*\* p<0.05, \* p<0.1

		Std.		Std.		Std.
	Coef.	Err.	Coef.	Err.	Coef.	Err.
Number of Typhoid Articles		2		2		Lin
Death rate	0.335**	0.158	0.386***	0.122	0.350***	0.086
1st intervention	-0.296*	0.151	-0.159	0.098	-0.278***	0.092
2nd intervention	-0.639***	0.067	-0.537***	0.127	-0.121	0.146
1st intervention x death rate	0.107	0.230	0.153	0.166	0.173*	0.092
2nd intervention x death rate	1.316***	0.205	0.617***	0.214	0.244	0.264
Number of total articles	0.014**	0.006	0.006	0.007	0.005	0.006
Constant	1.133***	0.215	1.409***	0.124	0.834***	0.279
City Fixed Effects	Ν		Y		Y	
Year Fixed Effects	Ν		Ν		Y	
Dummy=1 if no typhoid article						
Dummy=1 if big news event	-0.742	0.453	-0.936**	0.434	-0.823**	0.340
Dummy=1 if holiday week	-0.292*	0.166	-0.453	0.461	-0.908***	0.186
Constant	-20.318***	5.659	-6.177	8.369	-30.486	28.637
City Fixed Effects	Y		Y		Y	
Year Fixed Effects	Y		Y		Y	
Both interventions	-0.935***	0.135	-0.697***	0.204	-0.398*	0.214
Both intervention death rate interactions	1.422***	0.217	0.769***	0.198	0.417	0.318
ln(alpha)	-0.798***	0.148	-0.914***	0.229	-1.335***	0.136
Vuong test, z=	9.22***	-	7.55***	-	7.771***	
Observations	9,492		9,492		9,492	
Zero observations	2,127		2,127		2,127	

Table 4: Negative Binomial Regression of Effect of Typhoid Death Rates on Newspaper Reports

The dependent variable for the count part of the negative zero-inflated binomial is number of typhoid articles. The dependent variable for the logit part of the model is a dummy equal to 1 if there was no typhoid article. Robust standard errors in parentheses, clustered on the city. \*\*\* p<0.01, \*\* p<0.05, \* p<0.1

		Std.		Std.		Std.
	$\frac{\partial y}{\partial x}$	Err.	$\frac{\partial y}{\partial x}$	Err.	$\frac{\partial y}{\partial x}$	Err.
Death rate	1.023*	0.539	1.174***	0.385	1.062***	0.269
1st intervention	-0.905*	0.482	-0.485	0.298	-0.842***	0.290
2nd intervention	-1.952***	0.359	-1.633***	0.404	-0.367	0.445
1st intervention x death rate	0.326	0.691	0.464	0.499	0.526*	0.280
2nd intervention x death rate	4.022***	0.852	1.875***	0.661	0.740	0.807
Number of total articles	0.043***	0.015	0.018	0.021	0.016	0.017
Dummy=1 if big news event	0.155	0.130	0.147	0.096	0.168	0.125
Dummy=1 if holiday week	0.061	0.051	0.071	0.105	0.186	0.115
City FE in count regression	Ν		Y		Y	
Year FE in count regression	Ν		Ν		Y	
City FE in zero value logit	Y		Y		Y	
Year FE in zero value logit	Y		Y		Y	
Both interventions	-2.857***	0.597	-2.118***	0.632	-1.209*	0.664
Both intervention death rate interactions	4.348***	0.765	2.338***	0.594	1.266	0.971
Mean number of typhoid articles	2.917		2.917		2.917	
Observations	9,492		9,494		9,492	

Table 5: Marginals from Negative Binomial Regression of Effect of Typhoid Death Rates on Newspaper Reports

Marginals are for the regression in Table 4. Robust standard errors in parentheses, clustered on the city. \*\*\* p<0.01, \*\* p<0.05, \* p<0.1

		Std.		Std.		Std.
	Coef.	Err.	Coef.	Err.	Coef.	Err.
Number of Typhoid Articles						
Death rate	0.405	0.319	0.373**	0.175	0.366**	0.149
1st intervention	-0.549*	0.303	-0.334***	0.086	-0.274**	0.107
2nd intervention	-0.575***	0.109	-0.774***	0.183	-0.282***	0.072
1st intervention x death rate	0.217	0.361	0.275	0.204	0.244*	0.147
2nd intervention x death rate	0.947***	0.254	0.667***	0.252	0.408***	0.061
Number of total articles	-0.008	0.005	0.003	0.008	-0.000	0.007
Constant	0.778*	0.399	0.328***	0.120	0.507	0.315
City Fixed Effects	Ν		Y		Y	
Year Fixed Effects	Ν		Ν		Y	
Dummy=1 if no local typhoid article						
Dummy=1 if big news event	-0.180	0.236	-0.252	0.339	-0.195	0.290
Dummy=1 if holiday week	0.006	0.164	-0.025	0.289	0.039	0.056
Constant	-15.258***	0.809	-14.551	10.733	-0.766**	0.303
City Fixed Effects	Y		Y		Y	
Year Fixed Effects	Y		Y		Y	
Both interventions	-1.124***	0.405	-1.108***	0.253	-0.556***	0.104
Both intervention death rate interactions	1.164***	0.333	0.942***	0.105	0.651***	0.174
ln(alpha)	-0.494***	0.094	-0.797***	0.278	-0.997***	0.373
Vuong test, z=	19.81***		13.08***		13.50***	
Observations	8,596		8,596		8,596	
Zero observations	3,792		3,792		3,792	

Table 6: Negative Binomial Regression of Effect of Typhoid Death Rates on Local Newspaper Reports

The regressions exclude Philadelphia because we could not mechanically identify local articles. The dependent variable for the count part of the negative zero-inflated binomial is number of typhoid articles. The dependent variable for the logit part of the model is a dummy equal to 1 if there was no typhoid article. Robust standard errors in parentheses, clustered on the city. \*\*\* p < 0.01, \*\* p < 0.05, \* p < 0.1

		Std.		Std.		Std.
	$\frac{\partial y}{\partial x}$	Err.	$\frac{\partial y}{\partial x}$	Err.	$\frac{\partial y}{\partial x}$	Err.
Death rate	0.470	0.424	0.424**	0.213	0.418**	0.175
1st intervention	-0.637	0.420	-0.380***	0.105	-0.312***	0.120
2nd intervention	-0.667***	0.243	-0.881***	0.233	-0.322***	0.083
1st intervention x death rate	0.252	0.400	0.313	0.228	0.278*	0.163
2nd intervention x death rate	1.099**	0.506	0.759**	0.308	0.465***	0.069
Number of total articles	-0.009	0.006	0.003	0.009	-0.000	0.008
Dummy=1 if big news event	0.036	0.050	0.041	0.066	0.024	0.037
Dummy=1 if holiday week	-0.001	0.033	0.004	0.049	-0.005	0.007
City FE in count regression	Ν		Y		Y	
Year FE in count regression	Ν		Ν		Y	
City FE in zero value logit	Y		Y		Y	
Year FE in zero value logit	Y		Y		Y	
Both interventions	-1.304**	0.643	-1.262***	0.321	-0.634***	0.117
Both intervention death rate interactions	1.350***	0.524	1.073***	0.154	0.742***	0.188
Mean number of typhoid articles	1.097		1.097		1.097	
Observations	8,596		8,596		8,596	

Table 7: Marginals from Negative Binomial Regression of Effect of Typhoid Death Rates on Local Newspaper Reports

Marginals are for the regression in Table 6. Robust standard errors in parentheses, clustered on the city. \*\*\* p<0.01, \*\* p<0.05, \* p<0.1

		All A	All Articles			Local Articles	rticles	
		Std.		Std.		Std.		Std.
	Coef.	Err.	Coef.	Err.	Coef.	Err.	Coef.	Err.
Number of Typhoid Articles								
Predicted - death rate	-0.329	0.383			-0.345	0.491		
(Predicted - death rate) x (Dummy=1 if positive)	$1.311^{*}$	0.677			1.286	0.937		
(Predicted - death rate)/(Std death rate)			-0.256*	0.143			-0.224	0.241
(Predicted - death rate)/(Std death rate) x			$0.842^{***}$	0.189			$0.802^{**}$	0.349
(Dummy=1 if positive)								
Number of total articles	-0.001	0.010	-0.000	0.010	-0.030***	0.008	-0.030***	0.007
Constant	$1.044^{***}$	0.276	$0.994^{***}$	0.254	$0.770^{***}$	0.241	$0.730^{***}$	0.204
City Fixed Effects	Z		Ν		Z		Z	
Year Fixed Effects	Z		Z		Z		Z	
Dummy=1 if no typhoid article								
Dummy=1 if big news event	$-0.518^{***}$	0.119	-0.522***	0.131	-0.263	0.203	-0.265	0.202
Dummy=1 if holiday week	-0.530***	0.150	-0.565***	0.143	-0.085	0.115	-0.108	0.127
Constant	-4.437	2.988	-4.906	3.997	-6.810	100.905	-13.430***	3.108
City Fixed Effects	Υ		Y		Υ		Y	
Year Fixed Effects	Υ		Υ		Y		Υ	
Total effect of pos(Predicted-death rate)	0.982***	0.001			0.942**	0.477		
Total effect of pos((Predicted-death rate)/Std Dev)			$0.586^{***}$	0.056			$0.578^{***}$	0.128
ln(alpha)	-0.545***	0.129	-0.575***	0.150	-0.321***	0.114	-0.376***	0.132
Vuong test, z=	9.54***		9.36***		$21.62^{***}$		$21.62^{***}$	
Observations	9,114		9,114		8,269		8,269	
Zero observations	2,040		2,040		4,619		4,619	

		All A	All Articles			Local A	Local Articles	
		Std.		Std.		Std.		Std.
	$\frac{\partial y}{\partial x}$	Err.	$\frac{\partial y}{\partial x}$	Err.	$\frac{\partial y}{\partial x}$	Em.	$\frac{\partial y}{\partial x}$	Err.
Predicted - death rate	-1.072	1.375			-0.415	0.705		
(Predicted - death rate) x (Dummy=1 if positive)	4.266	2.790			1.546	1.571		
(Predicted - death rate)/(Std case rate)			-0.798*	0.457			-0.257	0.313
(Predicted - death rate)/(Std case rate) x			2.625***	0.698			0.920*	0.549
(Dummy=1 if positive)								
Number of total articles	-0.002	0.033	-0.002	0.030	-0.036**	0.015	-0.035**	0.013
Dummy=1 if big news event	$0.119^{**}$	0.048	$0.112^{**}$	0.056	0.062	0.066	0.059	0.055
Dummy=1 if holiday week	$0.122^{***}$	0.043	$0.121^{***}$	0.030	0.020	0.034	0.024	0.032
City FE in count regression	N		Ν		Z		Ν	
Year FE in count regression	Z		N		N		N	
City FE in zero value logit	Υ		Υ		Υ		Υ	
Year FE in zero value logit	Y		Y		Y		Y	
Total effect of pos(Predicted-death rate)	$3.194^{**}$	1.485			1.132	0.895		
Total effect of pos((Predicted-death rate)/Std Dev)			$1.826^{***}$	0.324			0.663***	0.248
Mean number of typhoid articles	2.917	3.489	2.917	3.489	1.097	2.019	1.097	2.019
Observations	9,114		9,114		8,269		8,269	

		All A	All Articles			Local A	Local Articles	
		Std.		Std.		Std.		Std.
	Coef.	Err.	Coef.	Err.	Coef.	Err.	Coef.	Err.
Number of typhoid articles								
Case rate	$0.093^{***}$	0.022	$0.078^{***}$	0.019	$0.141^{**}$	0.057	$0.105^{***}$	0.034
1st intervention	-0.378***	0.109	-0.285*	0.161	-0.303	0.257	-0.297	0.204
2nd intervention	-0.605***	0.105	-0.128	0.165	-0.660***	0.081	-0.217	0.175
1st intervention x case rate	0.005	0.026	0.010	0.014	-0.026	0.055	0.001	0.026
2nd intervention x case rate	$0.213^{***}$	0.063	$0.104^{***}$	0.034	$0.171^{***}$	0.016	$0.129^{***}$	0.017
Number of total articles	$0.013^{***}$	0.003	$0.011^{*}$	0.005	-0.003	0.004	$0.016^{***}$	0.006
Constant	$1.173^{***}$	0.103	$0.711^{*}$	0.363	0.512	0.388	-0.215	0.370
City Fixed Effects	Z		Y		Z		Υ	
Year Fixed Effects	Z		Υ		Z		Υ	
Dummy=1 if no typhoid article								
Dummy=1 if big news event	-0.675***	0.227	-0.993***	0.180	-0.326	0.280	-0.504	0.333
Dummy=1 if holiday week	-0.378**	0.156	-1.001***	0.202	-0.170	0.245	-0.134	0.158
	-5.415***	1.452	-19.704***	1.521	-2.903**	1.380	-0.520***	0.094
City Fixed Effects	Y		Y		Y		Υ	
Year Fixed Effects	Υ		Υ		Y		Y	
Both interventions	-0.984***	0.066	-4.129	0.256	-0.963***	0.326	-0.514*	0.294
Both intervention case rate interactions	$0.218^{***}$	0.066	$0.114^{***}$	0.029	0.145***	0.051	$0.130^{***}$	0.013
ln(alpha)	-1.097***	0.121	-1.523***	0.126	-0.971***	0.177	-1.250***	0.177
Vuong test, z=	8.61***		6.45***		$17.32^{***}$		$11.07^{***}$	
Observations	8,214		8,214		7,467		7,467	
Zero observations	2,078		2,078		4,438		4,438	

Table 10: Negative Binomial Regression of Effect of Typhoid Case Rates on Newspaper Reports

The local article regressions exclude Philadelphia. The dependent variable for the count part of the negative zero-inflated binomial is number of typhoid articles. The dependent variable for the logit part of the model is a dummy equal to 1 if there was no typhoid article. Robust standard errors in parentheses, clustered on the city. \*\*\* p<0.01, \*\* p<0.05, \* p<0.1

		Std.		Std.		Std.		Std.
	$\frac{\partial y}{\partial x}$	Err.						
Case rate	$0.245^{***}$	0.056	$0.201^{***}$	0.051	$0.133^{**}$	0.056	0.096***	0.033
1st intervention	-0.998***	0.281	-0.736*	0.415	-0.286	0.241	-0.272	0.181
2nd intervention	-1.595***	0.282	-0.332	0.429	-0.623***	0.060	-0.198	0.159
1st intervention x case rate	0.013	0.070	0.026	0.037	-0.024	0.052	0.001	0.024
2nd intervention x case rate	$0.561^{***}$	0.166	$0.269^{***}$	0.089	$0.161^{***}$	0.019	$0.118^{***}$	0.017
Number of total articles	$0.035^{***}$	0.007	$0.028^{**}$	0.014	-0.003	0.004	$0.015^{***}$	0.005
Dummy=1 if big news event	$0.107^{**}$	0.054	$0.172^{***}$	0.039	0.042	0.035	$0.049^{**}$	0.024
Dummy=1 if holiday week	0.060*	0.033	$0.173^{***}$	0.034	0.022	0.030	0.013	0.013
City FE in count regression	Z		Υ		Z		Υ	
Year FE in count regression	Z		Υ		Z		Υ	
City FE in zero value logit	Y		Υ		Υ		Υ	
Year FE in zero value logit	Υ		Y		Y		Y	
Both interventions	-2.593***	0.165	-1.068	0.666	-0.909***	0.298	-0.469***	0.260
Both intervention case rate interactions	$0.574^{***}$	0.178	$0.295^{***}$	0.077	$0.137^{***}$	0.050	$0.119^{***}$	0.011
Mean number of typhoid articles	2.437	2.847	2.437	2.847	0.820	1.483	0.820	1.483
Observations	8,214		8,214		7,467		7,467	

Table 11: Marginals from Negative Binomial Regression of Effect of Typhoid Case Rates on Newspaper Reports

		All A	All Articles			Local A	Local Articles	
	Coef.	Std. Err.	Coef.	Std. Err.	Coef.	Std. Err.	Coef.	Std. Err.
Number of articles								
Predicted - case rate	-0.200***	0.051			-0.193***	0.072		
(Predicted - case rate) x (Dummy=1 if positive)	$0.468^{***}$	0.059			$0.470^{***}$	0.055		
(Predicted - case rate)/(Std case rate)			-0.403***	0.148			-0.341	0.295
(Predicted - case rate)/(Std case rate) x			$0.948^{***}$	0.220			$0.893^{**}$	0.390
(Dummy=1 if positive)								
Number of total articles	0.004	0.007	0.003	0.007	$-0.013^{***}$	0.002	$-0.018^{***}$	0.003
Constant	$0.748^{***}$	0.263	$0.733^{***}$	0.248	0.226	0.153	0.275	0.175
City Fixed Effects	Z		N		Z		Z	
Year Fixed Effects	Z		Z		Z		Z	
Dummy=1 if no typhoid article								
Dummy=1 if big news event	-0.486***	0.114	-0.508***	0.126	-0.327*	0.186	-0.348*	0.202
Dummy=1 if holiday week	-0.240	0.175	-0.284*	0.167	-0.084	0.108	-0.106	0.132
Constant	-3.430***	0.896	-4.093***	1.328	-1.483***	0.316	-0.745***	0.094
City Fixed Effects	Y		Y		Y		Y	
Year Fixed Effects	Y		Y		Y		Y	
Total effect of pos(Predicted-case rate)	0.269***	0.035			0.277***	0.038		
Total effect of pos((Predicted-case rate)/Std dev)			$0.545^{***}$	0.077			$0.551^{***}$	0.098
ln(alpha)	-0.797***	0.069	-0.798***	0.074	-0.765***	0.084	-2.071**	1.001
Vuong test, z=	$10.24^{***}$		9.81***		$19.44^{***}$		20.22***	
Observations	7,706		7,706		7,062		7,062	
Zero observations	2,004		2,004		4,268		4,268	

		Std.		Std.		Std.		Std.
	$\frac{\partial y}{\partial x}$	Err.						
Predicted - case rate	-0.507***	0.097			-0.169***	0.051		
(Predicted - case rate) x (Dummy=1 if positive)	$1.188^{***}$	0.168			$0.411^{***}$	0.050		
(Predicted - case rate)/(Std case rate)			-1.022***	0.377			-0.287	0.261
(Predicted - case rate)/(Std case rate) x			2.405***	0.588			$0.750^{**}$	0.362
(Dummy=1 if positive)								
Number of total articles	0.010	0.018	0.007	0.017	-0.012***	0.003	$-0.015^{***}$	0.003
Dummy=1 if big news event	$0.112^{**}$	0.046	$0.112^{**}$	0.051	0.053	0.039	0.058	0.043
Dummy=1 if holiday week	0.055	0.042	$0.063^{*}$	0.036	0.014	0.019	0.018	0.023
City FE in count regression	Z		Z		Z		Z	
Year FE in count regression	Z		Z		Z		Z	
City FE in zero value logit	Υ		Υ		Y		Y	
Year FE in zero value logit	Y		Y		Y		Y	
Total effect of pos(Predicted-case rate)	$0.681^{***}$	0.143			0.242***	0.056		
Total effect of pos((Predicted-case rate)/Std dev)			$1.382^{***}$	0.237			$0.463^{***}$	0.106
Mean number of typhoid articles Zero observations	2.436	2.847	2.436	2.847	0.820	1.483	0.820	1.483

Table 13: Marginals from Negative Binomial Regression of Effect of Deviations in Typhoid Case Rates on Newspaper Reports

Marginals are for the regression in Table 12. Robust standard errors in parentheses, clustered on the city. \*\*\* p<0.01, \*\* p<0.05, \* p<0.1

		All	All Articles				Local Articles	ticles		
	Typhoid	id	Dipt	Diphtheria	Typhoid	id	Diphtheria	eria	Diphtheria	eria
	Coef.	Std. Err.	Coef.	Std. Err.	Coef.	Std. Err.	Coef.	Std. Err.	Coef.	Std. Err.
Number of articles										
Tvphoid death rate	$0.806^{***}$	0.092	0.221*	0.122	$1.507^{***}$	0.173	-00'00	0.189		
1st tvphoid intervention	-0.080	0.083	-0.395***	0.139	-0.092	0.128	-0.589**	0.252		
2nd typhoid intervention	-0.563***	0.110	-0.160	0.152	-0.540***	0.166	-0.122	0.287		
1st typhoid intervention x death rate	0.430	0.276	-0.466	0.504	0.548	0.412	0.096	0.763		
2nd typhoid intervention x death rate	$2.572^{***}$	0.844	-1.752	1.201	$4.208^{***}$	1.562	-0.640	1.883		
Diphtheria death rate									-0.057	0.087
Diphtheria intervention									-0.887***	0.287
Diptheria intervention x death rate									$0.599^{***}$	0.121
Number of total articles	$0.006^{**}$	0.003	$0.016^{***}$	0.003	0.007	0.005	$0.018^{***}$	0.006	$0.019^{***}$	0.004
Constant	$1.072^{***}$	0.065	$0.446^{***}$	0.081	-0.202*	0.110	-0.308**	0.150	-0.223	0.265
Dummy=1 if no article										
Dummy=1 if big news event	$-1.113^{**}$	0.464	-0.269	0.274	-1.044**	0.464	-0.106	0.304	-0.141	0.294
Dummy=1 if holiday week	-0.757*	0.400	-0.255	0.228	-0.848**	0.414	-0.397*	0.241	-0.394*	0.230
Constant	-3.669	3.460	-27.033	45,614.242	-1.915	1.670	-1.249	0.819	-1.314	0.858
Year Fixed Effects	Y		Y		Y					
Both interventions	-0.643***	0.106	-0.556***	0.122	-0.632***	0.171	$0.711^{***}$	0.230		
Both intervention death rate interactions	$3.002^{***}$	0.810	-2.219**	1.108	4.756***	1.532	-0.544	1.754		
ln(alpha)	$-1.507^{***}$	0.102	$-1.513^{***}$	0.134	-0.990***	0.124	-1.805***	0.422	-2.139***	0.590
Vuong test, z=	5.74***		8.51***		5.98***		7.82***		8.08***	
Observations	2,548		2,548		2,548		2,548		2,548	
Zero observations	497		1,607		1,271		1,695		1,695	

Table 14: Negative Binomial Regression of Effect of Typhoid and Diphtheria Death Rates on Typhoid and Diphtheria Newspaper

		All A	All Articles				Local Articles	rticles		
	Typhoid	id	Dip	Diphtheria	Typhoid	bid	Diphtheria	eria	Diphtheria	eria
	1	Std.	I	Std.	1	Std.	I	Std.	I	Std.
	$\frac{\partial y}{\partial x}$	Err.	$\frac{\partial y}{\partial x}$	Err.	$\frac{\partial y}{\partial x}$	Err.	$\frac{\partial y}{\partial x}$	Err.	$\frac{\partial y}{\partial x}$	Err.
Typhoid death rate	$2.404^{***}$	0.279	0.322	1,086.555	$1.514^{***}$	0.191	-0.005	0.095	-0.029	0.044
1 st typhoid intervention	-0.239	0.248	-0.576	1,944.205	-0.093	0.128	-0.298**	0.128		
2nd typhoid intervention	-1.680***	0.329	-0.234	788.692	-0.543***	0.168	-0.061	0.145		
1st typhoid intervention x death rate	1.283	0.824	-0.679	2,293.075	0.551	0.412	0.049	0.386		
2nd typhoid intervention x death rate	7.673***	2.522	-2.552	8,617.404	$4.230^{***}$	1.584	-0.324	0.952		
Diphtheria death rate									-0.029	0.044
Diphtheria intervention									-0.450***	0.147
Diptheria intervention x death rate									$0.304^{***}$	0.063
Number of total articles	$0.017^{**}$	0.008	0.024	80.763	0.007	0.005	$0.009^{***}$	0.003	$0.010^{***}$	0.002
Dummy=1 if big news event	$0.256^{**}$	0.104	0.058	405.575	$0.110^{**}$	0.050	0.014	0.042	0.020	0.042
Dummy=1 if holiday week	$0.174^{*}$	0.092	0.055	384.324	$0.090^{*}$	0.049	0.054	0.034	$0.056^{*}$	0.033
Year FE in zero value logit	Y		Y		Υ		Υ		Υ	
Both interventions	-1.919***	0.316	-0.891	2732.897	-0.636***	0.172	-0.359***	0.118		
Both intervention death rate interactions	8.956***	2.423	-3.232	10910.48	$4.781^{***}$	1.552	-0.275	0.887		
Mean number of typhoid articles	2.996				1.008					
Mean number of diphtheria articles			1.456				0.505		0.505	
Observations	2,548		2,548		2,548		2,548		2,548	

Table 15: Marginals from Negative Binomial Regression of Effect of Deviations in Typhoid Case Rates on Newspaper Reports